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Section _____

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The Masters School

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Physics



Projectile Motion Worksheet

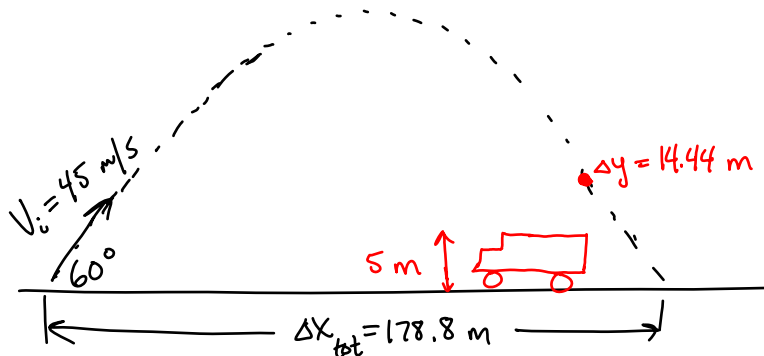
1. In our movie clip, Randall Rains (Nicolas Cage) is a car thief trying to escape the police. During his escape, he *almost* gets trapped as he finds traffic blocked by an accident on the highway. Luckily, a tow truck positioned at just the right place, at just the right time, and (hey, what do you know?) in just the right direction is available. So Rains decides to jump over the entire accident site. Let's assume that he launches at 100 mph (approximately 45 m/s), and that the bed of the tow truck is inclined at an angle of 60° .

- $\Delta x = ?$ a. If the average length of cars on the road is 10 m (considering paramedics trucks, fire trucks, tow trucks) how many cars can Rains fly over?
- $\Delta y = ?$ b. If the last car was a paramedics truck, with a vertical roof height of 5 meters, by how much does Rains clear the truck? (Assume the far edge of the truck is 170 m from launch)

at 170 m, what is Δy ?

http://youtube.com/watch?v=8Y_hcQQXxt8

Gone in 60 Seconds Eleanor takes a ride



a)

$\Delta x =$	$\Delta y = 0$
$V_{ix} = 22.5$	$V_{iy} = 38.97$
$V_{fy} =$	$V_{fy} =$
$a =$	$a = 9.81$
$\Delta t =$	$\Delta t =$

$$\Delta y = V_{iy} \Delta t - \frac{1}{2} g \Delta t^2$$

$$\frac{1}{2} g \Delta t^2 = V_{iy} \Delta t$$

$$\Delta t = \frac{38.97}{4.905} = 7.945 \text{ s}$$

$$\Delta x = V_x \Delta t$$

$$= (22.5)(7.945) = 178.8 \text{ m}$$

if cars are 10 m,
he can fly over
17 cars

b)

$\Delta x = 170 \text{ m}$	$\Delta y = ?$
$V_{ix} = 22.5$	$V_{iy} =$
$V_{fx} =$	$V_{fy} =$
$a =$	$a =$
$\Delta t =$	$\Delta t =$

$$\Delta x = V_x \Delta t$$

$$\Delta t = \frac{\Delta x}{V_x} = \frac{170}{22.5} = 7.55$$

$$\Delta y = V_{iy} \Delta t - \frac{1}{2} g \Delta t^2$$

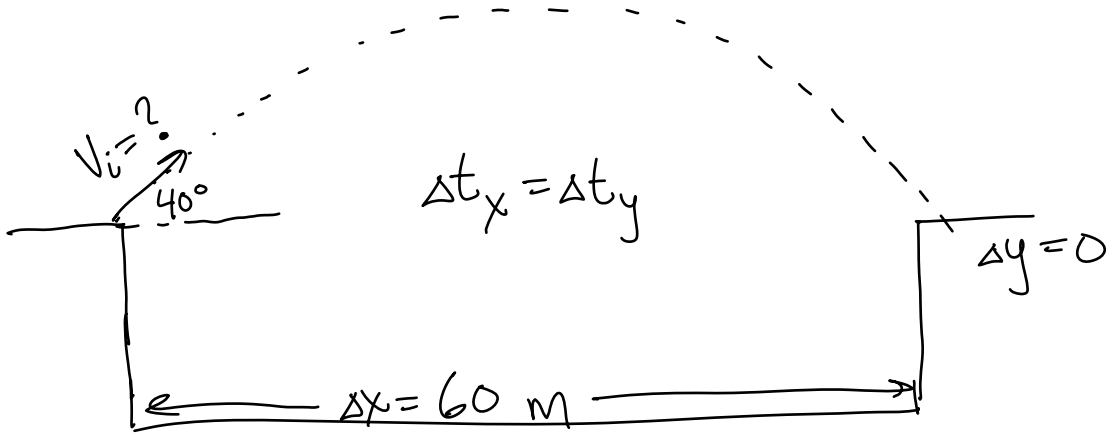
$$\Delta y = 38.97 \Delta t - (4.905) \Delta t^2$$

$$\Delta y = 14.44 \text{ m}$$

clears the truck by 9.44 m

A daredevil plans on jumping a 60 m wide canyon with his motorcycle, assumed to be at the same height on both sides. To do so, he positions a jump inclined at 40° .

- c. What minimum speed must he achieve to clear the canyon? (Hint: You do not know V_i , use system of equations using the fact that $\Delta t_x = \Delta t_y$)



$\Delta x = 60 \text{ m}$	$\Delta y = 0 \text{ m}$
$V_{ix} =$	$V_{iy} =$
$V_{fx} =$	$V_{fy} =$
$a = 0$	$a = 9.81$
$\Delta t =$	$\Delta t =$

$$\frac{\Delta x}{V_i \cos \theta} = \frac{2 V_i \sin \theta}{g}$$

$$\Delta x g = 2 V_i \sin \theta \cdot V_i \cos \theta$$

$$\frac{\Delta x g}{2 \sin \theta \cos \theta} = V_i^2$$

$$24.47 \text{ m/s} = V_i$$

$$\Delta x = V_i \cos \theta \Delta t$$

$$\Delta y = V_i \sin \theta \Delta t - \frac{1}{2} g \Delta t^2$$

$$\Delta t = \frac{\Delta x}{V_i \cos \theta}$$

$$\frac{1}{2} g \Delta t^2 = V_i \sin \theta \Delta t$$

$$\Delta t = \frac{2 V_i \sin \theta}{g}$$